Reinforcement Learning

of Marked Temporal Point Processes

HUMAN-CENTERED MACHINE LEARNING

http://courses.mpi-sws.org/hcml-ws18/



Reinforcement learning on different settings



If the problem dynamics cannot be expressed using SDEs with jumps or the objective is intractable:

Reinforcement learning of marked temporal point processes

- → Policy gradient [Upadhyay, 2018]
- → Policy iteration [Farajtabar et al., 2017]

Similarly as with optimal control: Policy is characterized by an intensity function! If the problem dynamics cannot be expressed using SDEs with jumps or the objective is intractable:

Next, details on the approach based on policy gradient

FUILY ILCIALIUII [Farajtabar et al., 2017]

Similarly as with optimal control: Policy is characterized by an intensity function!

poral

Viral marketing

Agent



Social media user



Environment



Followers' Feed

Forbes

For Brands And PR: When Is The Best Time To Post On Social Media?

THE HUFFINGTON POST

The Best Times to Post on Social Media

When to post to maximize views or likes?

 $\mu_i(t) = u(t) \longrightarrow N_i(t)$

Design (optimal) posting intensity Marks (feedback) given by environment

Visibility dynamics are unknown



However, one may have access to quality metrics

Manuel @autreche Three days before the #nips2018 deadline, there already 888 submissions! :	Impressions	1,096
	Total engagements	15
	Detail expands	5
Reach a bigger audience Get more engagements by promoting this Tweet!	Profile clicks	4
	Likes	3
	Hashtag clicks	3
Get started		

Key idea: Think of these metrics as rewards in a reinforcement learning setting!

Broadcasters and feedback



Parametrized using RNNs





We do not know the *feedback* distribution but we can *sample* from it...



...and measure quality metrics (rewards)

[Upadhyay et al., 2018]

7

What is the goal in reinforcement learning?

We aim to maximize the average reward in a time window [0, T]: $J(\theta)$ $\mathbb{E}_{\mathcal{A}_{T} \sim p_{\mathcal{A};\theta}^{*}(\cdot)} \left[\mathbb{E}_{\mathcal{A}_{T} \sim p_{\mathcal{A};\theta}^{*}(\cdot), \mathcal{F}_{T} \sim p_{\mathcal{F};\phi}^{*}(\cdot)}} \left[\mathbb{R}^{*}(T) \right] \right]$ $\mathbb{E}_{\mathcal{A}_{T} \sim p_{\mathcal{A};\theta}^{*}(\cdot), \mathcal{F}_{T} \sim p_{\mathcal{F};\phi}^{*}(\cdot)}} \left[\mathbb{R}^{*}(T) \right]$ $\mathbb{E}_{\mathcal{A}_{T} \sim p_{\mathcal{A};\theta}^{*}(\cdot), \mathcal{F}_{T} \sim p_{\mathcal{F};\phi}^{*}(\cdot)}} \left[\mathbb{R}^{*}(T) \right]$ $\mathbb{E}_{\mathcal{A}_{T} \sim p_{\mathcal{A};\theta}^{*}(\cdot), \mathcal{F}_{T} \sim p_{\mathcal{F};\phi}^{*}(\cdot)}} \left[\mathbb{R}^{*}(T) \right]$ $\mathbb{E}_{\mathcal{A}_{T} \sim p_{\mathcal{A};\theta}^{*}(\cdot), \mathcal{F}_{T} \sim p_{\mathcal{F};\phi}^{*}(\cdot)}} \left[\mathbb{R}^{*}(T) \right]$ $\mathbb{E}_{\mathcal{A}_{T} \sim p_{\mathcal{A};\theta}^{*}(\cdot), \mathcal{F}_{T} \sim p_{\mathcal{F};\phi}^{*}(\cdot)}} \left[\mathbb{R}^{*}(T) \right]$ $\mathbb{E}_{\mathcal{A}_{T} \sim p_{\mathcal{A};\theta}^{*}(\cdot), \mathcal{F}_{T} \sim p_{\mathcal{F};\phi}^{*}(\cdot)}} \left[\mathbb{R}^{*}(T) \right]$

Connection to optimal control:

$$J(r(t),\lambda(t),t) = \min_{u(t,t_f]} \mathbb{E}_{(N,M)(t,t_f]} \left[\phi(r(t_f)) + \int_t^{t_f} \ell(r(\tau),u(\tau)) \, d\tau \right]$$

8

[Upadhyay et al., 2018]

We use gradient descent to improve the policy, i.e., the intensity, over time:

$$\theta_{l+1} = \theta_l + \alpha_l \nabla_\theta J(\theta)|_{\theta = \theta_l}$$

We need to compute the gradient of an average. But the average depends on the parameters!

$$\nabla_{\theta} J(\theta) = \nabla_{\theta} \mathbb{E}_{\mathcal{A}_{T} \sim p^{*}_{\mathcal{A};\theta}(\cdot), \mathcal{F}_{T} \sim p^{*}_{\mathcal{F};\phi}(\cdot)} [R^{*}(T)]$$
Parameters!
[Upadhyay et al., 2018]

Reinforce trick to compute gradient

The reinforce trick allows us to overcome this implicit dependence:



10

[Upadhyay et al., 2018]

Likelihood of action events

$$\nabla_{\theta} J(\theta) = \mathbb{E}_{\mathcal{A}_{T} \sim p^{*}_{\mathcal{A};\theta}(\cdot), \mathcal{F}_{T} \sim p^{*}_{\mathcal{F};\phi}(\cdot)} \left[R^{*}(T) \nabla_{\theta} \log \mathbb{P}_{\theta}(\mathcal{A}_{T}) \right]$$

Likelihood of posts by our broadcaster!
$$\mathbb{P}(\mathcal{A}_{T}) \coloneqq \left(\prod_{e_{i} \in \mathcal{A}_{T}} \lambda^{*}_{\theta}(t_{i}) \right) \exp \left(-\int_{0}^{T} \lambda^{*}_{\theta}(s) \, ds \right)$$

The key remaining question is how to parametrize the intensity $\lambda_{\theta}^{*}(t)$

Parameters & functional form!

11

Policy parametrization



$$\lambda_{\theta}^{*}(t) = \exp\left(b_{\lambda} + w_{t}(t - t') + V_{\lambda}h_{i}\right)$$

The intensity can increase or decrease every time an event by the other broadcasters take place:

- → We cannot apply just superposition
- → We can use inversion sampling: The CDF is a function by parts, where each part is defined once an event by the other broadcasters happens Appendix C in Upadhyay et al., 2018

Average Rank





Time at the top

